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### VII.5 Magnitudes of Large Semipalatinsk Explosions using P Coda and Lg Measurements at NORSAR

The objective of this study is to investigate the potential of using NORSAR recorded P coda and Lg waves to obtain stable magnitude estimates of large underground explosions, thereby improving the possibility of obtaining reliable yield estimates from teleseismic recordings.

The NORSAR array (Bungum et al, 1971) has been in operation since 1970. Originally comprising 22 subarrays, with a total of 132 short period vertical seismometers, the array was reduced to 7 subarrays (42 SPZ seismometers) in 1976. In order to obtain consistency over time, this analysis has been restricted to data from these 7 subarrays. With the exception of occasional subarray or instrument outages, this provides for a stable, high quality recording system, making possible reliable comparison of seismic events recorded during the entire time period.

The general characteristics of NORSAR recorded P coda and Lg waves for Semipalatinsk explosions have earlier been studied by Ringdal (1983) and Baumgardt (1985). Ringdal (1983) found by comparing with ISC reported mb that the use of Lg based magnitudes effectively eliminated the systematic P-wave magnitude differences observed at NORSAR for explosions from the two main test sites within the Semipalatinsk area (Shagan River and Degelen Mountains). Gupta et al (1985) studied NORSAR P and P coda recordings from NTS explosions, and found that P coda measurements provided significantly more precise yields than those based on the initial P. They also obtained promising results in applying P coda measurements to NORSAR recordings from Semipalatinsk explosions.

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The propagation path from Semipalatinsk to NORSAR is indicated in Fig. VII.5.1, where also a map of the NORSAR array is shown. In spite of the large epicentral distance (4200 km), the Lg phase can be identified for most explosions of  $m_b > 5.0$ . However, as shown in the example of Fig. VII.5.2, the Lg amplitude is usually only slightly higher than that of the preceding P coda, and this feature is largely independent of event size.

The data base for this study consists of 72 presumed explosions from the Shagan River area, USSR, covering the time period 1972 to 1987. All such events of ISC  $m_b > 5.0$  were included, except for a few cases of NORSAR system outages. The event set is listed in Table VII.5.1, together with ISC or PDE magnitude estimates  $(m_b)$  as well as parameters estimated in this study. For most of the events, very accurate location estimates have been computed by Marshall et al (1985), and additional such data have been provided by P. Marshall (personal communication). Otherwise, NEIS or NORSAR location estimates are used. In addition, this study has also made use of maximum likelihood  $m_b$ magnitudes estimated at Blacknest from ISC data (P. Marshall, personal communication) and  $m_b$  (Lg) estimates published by Nuttli (1986).

#### Parameter estimation methods

Lg and P coda magnitudes were estimated from NORSAR data for each event using three different methods (for illustration, see Fig. VII.5.2). All three methods were applied to filtered NORSAR SP channels, using a 0.6-3.0 Hz Butterworth bandpass filter. In earlier studies (Ringdal, 1983), this frequency band has been found to retain the main P and Lg energy while suppressing microseismic noise.

The first method pertains to the Lg phase and comprises direct measurement on individual traces of the largest cycle with a period close to 1 Hz, within a group velocity window of 3.25-3.70 km/s. (The

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average Lg group velocity is close to 3.5 km/s.) The amplitude (zero to peak) and the corresponding period were measured and converted to ground motion  $A_{ij}$  (i'th event, j'th channel). The amplitudes were then corrected for dispersion, geometrical spreading and anelastic attenuation as described by Nuttli (1986), using parameter values  $(Q_0 = 700, \xi = 0.4)$  derived by Nuttli for the nearby station KON. This resulted in an Lg magnitude estimate MLA<sub>ij</sub> for each analyzed trace.

Repeating this process for all center instruments of the 7 operational NORSAR subarrays (deleting faulty channels) the NORSAR Lg magnitude MLA was then estimated as:

$$MLA_{i} = \frac{1}{N} \cdot \sum_{j=1}^{N} MLA_{ij}$$

where N (N  $\leq$  7) is the number of channels.

The second and third methods both comprise automatic RMS measurements of individual channels and pertain to P coda and Lg magnitudes, respectively. For the P coda measurement, a time window of 30 seconds is selected, starting 20 seconds after P onset. The LG window is 2 minutes long, covering the group velocity interval of 3.67 to 3.33 km/s. In addition, a 30 second noise window immediately before P onset was selected for each processed channel. The estimation procedure described in the following was applied for each event to all 42 currently operational NORSAR SP channels, except that faulty channels were deleted.

We denote by  $s_{ijk}$  the k'th sample of the filtered trace of event i, instrument j. We define the log mean square  $L_{ij}$  by

(1)

$$L_{ij} = \log \left[ \frac{1}{K} \cdot \sum_{k=1}^{K} s_{ijk}^{2} \right]$$

where K is the number of samples in the selected time window. The quantity  $L_1$  is defined as

 $L_{i} = \frac{1}{M} \cdot \sum_{j=1}^{M} L_{ij}$ (3)

where  $M(\leq 42)$  is the number of operative channels.

We denote  $L_i^N$ ,  $L_i^C$  and  $L_i^L$  the values of  $L_i$  when computed over the noise window (30 seconds, K = 600), P coda window (30 seconds, K = 600) and Lg window (120 seconds, K = 2400), respectively.

The NORSAR P coda RMS magnitudes (MCR<sub>i</sub>) and Lg RMS magnitudes (MLR<sub>i</sub>) are then estimated by correcting for noise and adjusting to standard scales as follows:

 $MCR_{i} = 0.5 \cdot \log[\exp(L_{i}^{C}) - \exp(L_{i}^{N})] + B_{C}$ (4)

 $MLR_{i} = 0.5 \cdot \log[\exp(L_{i}^{L}) - \exp(L_{i}^{N})] + B_{L}$  (5)

(2)

The constants  $B_C$  and  $B_L$  are determined by the constraints:

$$\sum (MCR_i - MBMLE_i) = 0$$
(6)

 $\sum (MLR_1 - MBLG_1) = 0$ 

where  $MBLG_i$  is the Lg magnitude given by Nuttli (1986) of the i'th event,  $MBMLE_i$  is the maximum likelihood  $m_b$  estimate discussed earlier and the sums are taken over all common events.

We also computed <u>uncorrected</u> P coda and Lg magnitudes for purpose of comparison. These were obtained by deleting the noise term in (4) and (5).

#### Data analysis

The three estimation methods described above were applied to the events in the data set of Table VII.5.1. The procedure to compensate for background noise level had negligible effect on the RMS P coda magnitudes, since the SNR in these cases was consistently high. However, for some of the smaller events  $(m_b(ISC) < 5.6)$ , the effect on RMS Lg was significant, and the resulting estimates must be considered more uncertain than for the large explosions. This is illustrated in Figs. VII.5.3 and VII.5.4, which show, respectively, the uncorrected and corrected RMS Lg estimates plotted against the NORSAR amplitude based Lg magnitudes.

Table VII.5.2 gives a list of standard deviation of magnitude differences for all combinations of sources. We note that the NORSAR P coda magnitude correlate well with ISC maximum likelihood  $m_b$  ( $\sigma$  = 0.06), as is also seen from the plot in Fig. VII.5.5. In fact, the

(7)

correlation is about as good as between the two ISC-based measurements.

It has earlier been noted by many authors that P coda provides much more stable mb estimates than the initial P phase, which is subject to strong focussing or defocussing along its ray path. Such effects are to a large extent averaged out in the P coda by various scattering mechanisms. Nevertheless, our analysis has shown that P coda amplitudes across NORSAR are positively correlated with initial P amplitude patterns. Thus, not all of the P focussing/defocussing effects are eliminated, and, by reciprocity, focussing at the source would be expected to significantly affect P coda magnitudes, especially over a larger epicentral area than considered in this paper.

From Table VII.5.2 we also note that the various Lg based measures show surprisingly little correlation with each other, although the RMS noise correction explains much of the scatter between the two Lg estimates based on NORSAR data. Fig. VII.5.6 shows NORSAR RMS Lg versus Nuttli (1986)  $m_b$  (Lg) for common events. Even at high magnitudes, where NORSAR noise corrections are insignificant, there is a large scatter. The reasons for this lack of consistency need to be further investigated, but it must be noted that the NORSAR measurements have the advantage of being based on a system stable over time, and with high quality digital recording.

Comparing the Lg based measurements to the ISC maximum likelihood  $m_b$ , it appears that the NORSAR RMS Lg shows best correlation ( $\sigma = 0.092$ ). Fig. VII.5.7 compares these two magnitude measures, whereas Fig. VII.5.8 shows NORSAR P coda versus NORSAR RMS Lg magnitudes. Comparing these two figures, it is evident that Fig. VII.5.8 has a slightly larger scatter ( $\sigma = 0.101$ ) and, moreover, apparently could be split into two subpopulations with parallel trends.

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Figs. VII.5.9 and VII.5.10 show that this is no coincidence. On Fig. VII.5.9, the NORSAR P coda - RMS Lg magnitude differences are plotted as a function of event location (Marshall et al (1985) and NEIS data). The P coda - Lg statistics are clearly region dependent within the Shagan River area; in particular the northeast part show consistently low P coda magnitudes, whereas the southwest part shows P coda magnitudes consistently higher than those based on Lg. Fig. VII.5.10 shows that the same trend is apparent when comparing ISC maximum likelihood  $m_b$  to NORSAR RMS Lg magnitudes. It is clear that application of regional corrections would improve the mutual consistency of these magnitudes.

Marshall et al (1985) found that explosions in the northeast and southwest portions of the Shagan River area produce distinctly different P waveforms when recorded at the UK seismological array stations, suggesting that the Shagan River site can be subdivided into two test areas characterized by different geophysical properties. Our results support this suggestion. Our data show an average bias  $m_b(P) - m_b(Lg)$  of  $-0.059 \pm 0.014$  for NE Shagan, and  $0.112 \pm 0.009$  for SW Shagan. Thus, if we attempt to explain this anomaly as resulting from the systematic differences in P recordings only, we obtain a relative  $m_b(P)$  bias of about 0.17  $m_b$  units between the two areas. On the other hand, the possibility of an  $m_b(Lg)$  bias cannot be ruled out either.

Fig. VII.5.11 illustrates the relative occurrence of large Semipalatinsk explosions after 1976 as a function of NORSAR RMS Lg magnitudes. The plot, which has a nominal vertical scaling, has been obtained by adding Gaussian density functions with standard deviations of 0.015 magnitude units centered at each observed magnitude value. The three clear peaks on this plot might indicate different yield categories. It is interesting to note that the highest magnitude group includes explosions from both the southwest and the northeast areas of Shagan River, whereas similar plots based on P-wave magnitudes would place all of the largest events in the southwest area. The rightmost peak of

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the diagram (magnitude 6.06) would correspond to a yield between 150 and 200 kilotons TNT if Nuttli's (1986) formulae are used. With the inherent uncertainty in the absolute calibration level, this is clearly not inconsistent with the 150 kiloton upper limit of the Threshold Test Ban Treaty.

In conclusion, NORSAR based P coda and Lg magnitudes appear to provide magnitude estimates of large Semipalatinsk explosions comparable in stability to those of a world-wide network. There are indications that the Lg based measurements avoid some of the bias inherent in P-based magnitudes. It would furthermore be reasonable to expect that such measurements based on network averaging would provide even better stability. In conjunction with calibration data to obtain accurate absolute reference to yield, such data would appear to provide for very reliable monitoring of a threshold treaty.

> F. Ringdal B.K. Hokland

#### References

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Gupta, I.N., R.R. Blandford, R.A. Wagner, J.A. Burnetti and T.W. McElfresh (1985): Use of P coda for determination of yield of nuclear explosions. Geophys. J.R. astr. Soc., 83, 2, 541-554.

Marshall, P.D., T.C. Bache and R.C. Lilwall (1985): Body wave magnitudes and locations of Soviet underground explosions at the Semipalatinsk Test Site. AWRE Report No. 0 16/84, AWRE, MOD(PE), Aldermaston, Berksh., UK. Nuttli, O.W. (1986): Lg magnitudes of selected East Kazakhstan underground explosions. Bull. Seism. Soc. Am. 76, 1241-1251.

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i.

ORIGIN DATE	ORIGIN TIME	MB	*** LG( MLA	AMP)*** N STD	*** LG( MLR	RMS)*** N STD	*** PC MCR	ODA **** N STD
$\begin{array}{c} 11/02/72\\12/10/72\\07/23/73\\12/14/73\\10/16/74\\12/27/74\\04/27/75\\10/29/75\\12/25/75\\04/21/76\\06/09/76\\07/04/76\\08/28/76\\05/29/77\\06/29/77\\06/29/77\\06/29/77\\06/29/77\\06/29/77\\06/29/77\\06/11/78\\07/05/78\\07/05/78\\07/05/78\\07/05/78\\07/05/78\\07/05/78\\07/07/79\\08/04/79\\10/28/79\\12/02/79\\06/23/79\\07/07/79\\08/04/79\\10/28/79\\12/02/79\\06/29/80\\09/15/78\\11/04/78\\11/29/78\\06/23/79\\07/07/79\\08/04/79\\10/28/79\\12/02/79\\06/29/80\\09/14/80\\12/27/81\\04/22/81\\05/27/81\\09/13/81\\10/18/81\\11/29/81\\12/27/81\\04/25/82\\07/04$	$\begin{array}{c} 01.26.57.7\\ 04.27.07.7\\ 01.22.57.8\\ 07.46.57.0\\ 06.32.57.5\\ 05.46.56.8\\ 05.36.57.3\\ 04.46.57.5\\ 05.16.57.0\\ 05.02.57.4\\ 03.02.57.6\\ 02.56.57.7\\ 02.56.57.7\\ 02.56.57.8\\ 03.06.58.0\\ 03.02.57.8\\ 03.06.58.0\\ 03.02.57.8\\ 03.07.02.9\\ 02.56.57.7\\ 02.56.57.3\\ 02.56.57.3\\ 02.36.57.3\\ 02.36.57.3\\ 02.36.57.3\\ 02.36.57.3\\ 02.36.57.3\\ 02.36.57.3\\ 02.36.57.5\\ 04.33.02.9\\ 02.56.57.6\\ 03.46.57.4\\ 03.56.57.2\\ 03.46.57.4\\ 03.56.57.5\\ 02.32.57.7\\ 02.42.39.3\\ 03.34.14.1\\ 03.58.12.1\\ 02.17.18.2\\ 03.57.02.6\\ 03.43.14.1\\ 02.35.43.14.1\\ 03.23.05.4\\ 01.17.14.4\\ 01.31.00.5\\ 03.37.12.6\\ 03.35.14.1\\ 02.36.43.5\\ \end{array}$	-1018566873388838698906028100729996051172113171-018566873388838698906028100729996051172113171-018566873388838698906028100729996055555656656565555656656565656565656	$\begin{array}{c} - & - & - & - & - & - & - & - & - & - $	$\begin{array}{c} 7 & 0 & 0.040 \\ 7 & 0 & 0.066 \\ 7 & 0 & 0.082 \\ 7 & 0 & 0.087 \\ 7 & 0 & 0.054 \\ 7 & 0 & 0.050 \\ 7 & 0 & 0.053 \\ 0 & 0.000 \\ 7 & 0 & 0.053 \\ 7 & 0 & 0.066 \\ 7 & 0 & 0.085 \\ 7 & 0 & 0.066 \\ 7 & 0 & 0.085 \\ 7 & 0 & 0.066 \\ 7 & 0 & 0.085 \\ 7 & 0 & 0.085 \\ 7 & 0 & 0.085 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 7 & 0 & 0.086 \\ 5 & 0 & 0.040 \\ 5 & 0 & 0.040 \\ 5 & 0 & 0.040 \\ 5 & 0 & 0.072 \\ 5 & 0 & 0.040 \\ 5 & 0 & 0.072 \\ 5 & 0 & 0.040 \\ 6 & 0 & 0.072 \\ 5 & 0 & 0.040 \\ 6 & 0 & 0.072 \\ 5 & 0 & 0.040 \\ 6 & 0 & 0.072 \\ 5 & 0 & 0.040 \\ 6 & 0 & 0.072 \\ 5 & 0 & 0.040 \\ 5 & 0 & 0.077 \\ \end{array}$	$\begin{array}{c} - & - & - & - & - & - & - & - & - & - $	$\begin{array}{c} 2 & 0 & 0 & 69 \\ 2 & 0 & 0 & 68 \\ 1 & 0 & 0 & 63 \\ 2 & 0 & 0 & 62 \\ 2 & 0 & 0 & 0 \\ 2 & 0 & 0 & 62 \\ 2 & 0 & 0 & 0 \\ $	6.207 6.0136 5.55123306655.55123306655.55555555555555555555555555555555	$\begin{array}{c} 42 & 0.058 \\ 42 & 0.079 \\ 41 & 0.060 \\ 39 & 0.074 \\ 42 & 0.093 \\ 42 & 0.093 \\ 42 & 0.0072 \\ 42 & 0.0072 \\ 42 & 0.0070 \\ 42 & 0.0072 \\ 41 & 0.063 \\ 41 & 0.072 \\ 41 & 0.072 \\ 41 & 0.070 \\ 39 & 0.060 \\ 41 & 0.070 \\ 39 & 0.060 \\ 41 & 0.077 \\ 41 & 0.076 \\ 39 & 0.060 \\ 41 & 0.076 \\ 35 & 0.057 \\ 41 & 0.076 \\ 35 & 0.059 \\ 36 & 0.071 \\ 41 & 0.065 \\ 35 & 0.065 \\ 32 & 0.065 \\ 33 & 0.065 \\ 34 & 0.075 \\ 34 & 0.075 \\ 35 & 0.065 \\ 35 & 0.$
10/26/83	01.55.04.8 03.27.04.4	6.1	5.996	6 0.076	5.993 3	2 0.055	6.097 5.481	32 0.065,

Table VII.5.1 List of events used in this study. The table includes date, origin time,  $m_b(ISC/PDE)$  as well as NORSAR based measurements discussed in the text and standard deviations across NORSAR. Zero entries indicate either no NORSAR data available or SNR too low for reliable measurement.

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ORIGIN DATE	ORIGIN TIME	MB *** LG MLA	(A) N	MP)*** STD	*** LG MLR	(RI N	MS)*** STD	*** p MCR	COD/ N	A **** STD
02/19/84 03/07/84 03/29/84 04/25/84 05/26/84 05/26/84 07/14/84 12/02/84 12/02/84 12/16/84 12/28/84 02/10/85 04/25/85 06/15/85 06/15/85 06/15/85 06/15/85 06/15/85 06/20/85 03/12/87 04/03/87 04/17/87 06/20/87 08/02/87 11/15/87 12/13/87 12/27/87	03.57.03.4 02.39.06.4 05.19.08.2 01.09.03.5 03.13.12.4 01.09.10.5 01.50.10.6 03.19.06.3 03.55.02.7 03.50.10.7 03.27.07.6 00.57.06.5 00.57.06.5 00.57.00.7 02.39.02.7 00.53.14.5 01.57.17.0 01.17.08.0 01.03.04.0 00.58.08.0 03.31.08.0 03.21.08.0 03.05.08.0	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	5556666655675547666676766	0.053 0.075 0.035 0.072 0.063 0.073 0.077 0.141 0.093 0.057 0.070 0.078 0.075 0.068 0.075 0.0681 0.072 0.117 0.103 0.088 0.088 0.088 0.070 0.088 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.088 0.070 0.070 0.088 0.088 0.070 0.070 0.088 0.088 0.070 0.070 0.088 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070 0.088 0.070 0.070 0.088 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070 0.070 0.070 0.088 0.070	5.724 5.724 5.896 5.897 5.862 6.043 6.075 5.864 6.030 5.978 5.791 5.856 5.917 5.855 5.966 5.917 5.855 5.966 5.959 6.032	2772273333277338722863113340332930	$\begin{array}{c} 0.051 \\ 0.058 \\ 0.057 \\ 0.066 \\ 0.064 \\ 0.074 \\ 0.067 \\ 0.066 \\ 0.065 \\ 0.065 \\ 0.065 \\ 0.065 \\ 0.065 \\ 0.065 \\ 0.059 \\ 0.070 \\ 0.059 \\ 0.070 \\ 0.065 \\ 0.070 \\ 0.063 \\ 0.083 \\ 0.083 \\ 0.064 \end{array}$	5.889 5.889 5.972 5.965 6.148 6.254 5.747 6.113 6.254 5.939 6.058 5.939 6.058 5.437 6.245 6.058 5.437 6.124 5.8898 6.081 6.211	222333125739988632270600 33322339988632270600	$\begin{array}{c} 0.057\\ 0.073\\ 0.071\\ 0.071\\ 0.115\\ 0.088\\ 0.073\\ 0.081\\ 0.068\\ 0.073\\ 0.069\\ 0.069\\ 0.069\\ 0.069\\ 0.069\\ 0.065\\ 0.068\\ 0.052\\ 0.068\\ 0.052\\ 0.066\\ 0.052\\ 0.052\\ 0.066\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.066\\ 0.052\\ 0.066\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.052\\ 0.066\\ 0.$
STANDARD	DEVIATION OF	MEAN VALUES:		0.028			0.011			0.012

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### Table VII.5.1 (cont.)

	ISC/PDE	ISC(M-L)	MB(LG)	PCODA	LG(RMS)	LG(AMP)
ISC/PDE	0.000	0.066	0.119	0.068	0.093	0.109
ISC(M-L)	0.066	0.000	0.120	0.060	0.092	0.136
MB(LG)	0.119	0.120	0.000	0.127	0.116	0.135
PCODA	0.068	0.060	0.127	0.000	0.101	0.130
LG(RMS)	0.093	0.092	0.116	0.101	0.000	0.065
LG(AMP)	0.109	0.136	0.135	0.130	0.065	0.000

Table VII.5.2 Standard deviations of differences between various magnitude estimates discussed in the text.

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Fig. VII.5.1 Map showing the propagation path from Semipalatinsk to NORSAR (distance approximately 4200 km). The original NORSAR array configuration is also displayed.



Fig. VII.5.2 Example of a typical NORSAR-recording of a Semipalatinsk explosion (instrument 01A00). The plot covers 20 minutes of data filtered in the passband 0.6-3.0 Hz. The time windows used for RMS Lg, RMS P coda and RMS noise measurements as described in the text are indicated. An expanded plot is shown of the portion of the trace used for NORSAR Lg amplitude.

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Fig. VII.5.3 Plot of amplitude based NORSAR Lg magnitudes versus NORSAR RMS Lg magnitudes. In this plot no noise correction has been applied. The slope has been restricted to 1.00, and the dotted lines correspond to plus/minus two standard deviations.



Fig. VII.5.4 Same as Fig. VII.5.3, except that the NORSAR RMS Lg magnitudes have been corrected for noise as discussed in the text. Note the offect of this at low magnitudes.

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Fig. VII.5.5 Plot of NORSAR P coda magnitudes versus ISC maximum likelihood mb. (Slope restricted to 1.00; dotted lines correspond to plus/minus two standard deviations.)



Fig. VII.5.6 Plot of Nuttli (1985) mb (Lg) versus NORSAR Lg RMS magnitudes. The slope and dotted lines are defined as in Fig. VII.5.5. Note the significant scatter even at high magnitudes.

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Fig. VII.5.7 Plot of ISC maximum likelihood mb versus NORSAR Lg RMS magnitudes. The slope and dotted lines are defined as in Fig. VII.5.5.



Fig. VII.5.8 Plot of NORSAR RMS P coda mb versus NORSAR RMS Lg magnitudes. The slope and dotted lines are defined as in Fig. VII.5.5.



Fig. VII.5.9

Plot of magnitude residuals (NORSAR P coda minus NOkSAR Lg RMS magnitudes) as a function of event location for events of  $m_b > 5.60$ . Plusses and circles correspond to residuals greater or less than the average, respectively, with symbol size proportional to the deviation. Location estimates are those of Marshall et al (1985) where available, otherwise NEIS estimates have been used. Note the systematic variation within the Shagan River area.



Fig. VII.5.10 Same as Fig. VII.5.9, except that the residual corresponds to ISC maximum likelihood mb minus NORSAR Lg RMS magnitudes. Note the similarities with Fig. VII.5.9.



Fig. VII.5.11 Relative frequency of occurrence of large Shagan River explosions after 1976, based on estimated NORSAR Lg RMS magnitudes. The figure has been generated by adding Gaussian probability density functions with standard deviations of 0.015 centered at each magnitude value. Note the three distinct peaks in the diagram.